

## Temporal Niches

*Ecological niche*: Set of (abiotic) conditions where  
a species' birth rate  $\geq$  death rate

Population persists within its (species') niche

*Fundamental niche*: Absent other species (no biotic intx)

*Realized niche*: Other species present (hence, smaller)

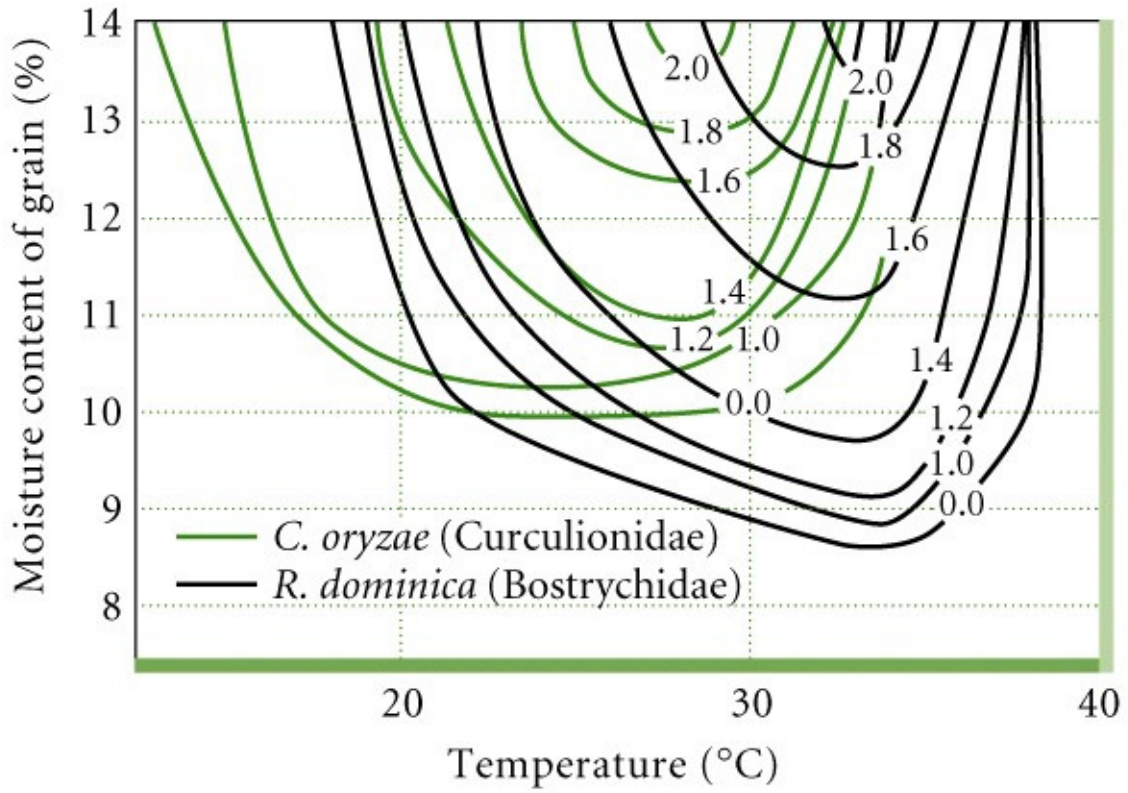
*Temporal Niche*: Environmental variation  $\Rightarrow$

Fluctuations in availability of niche

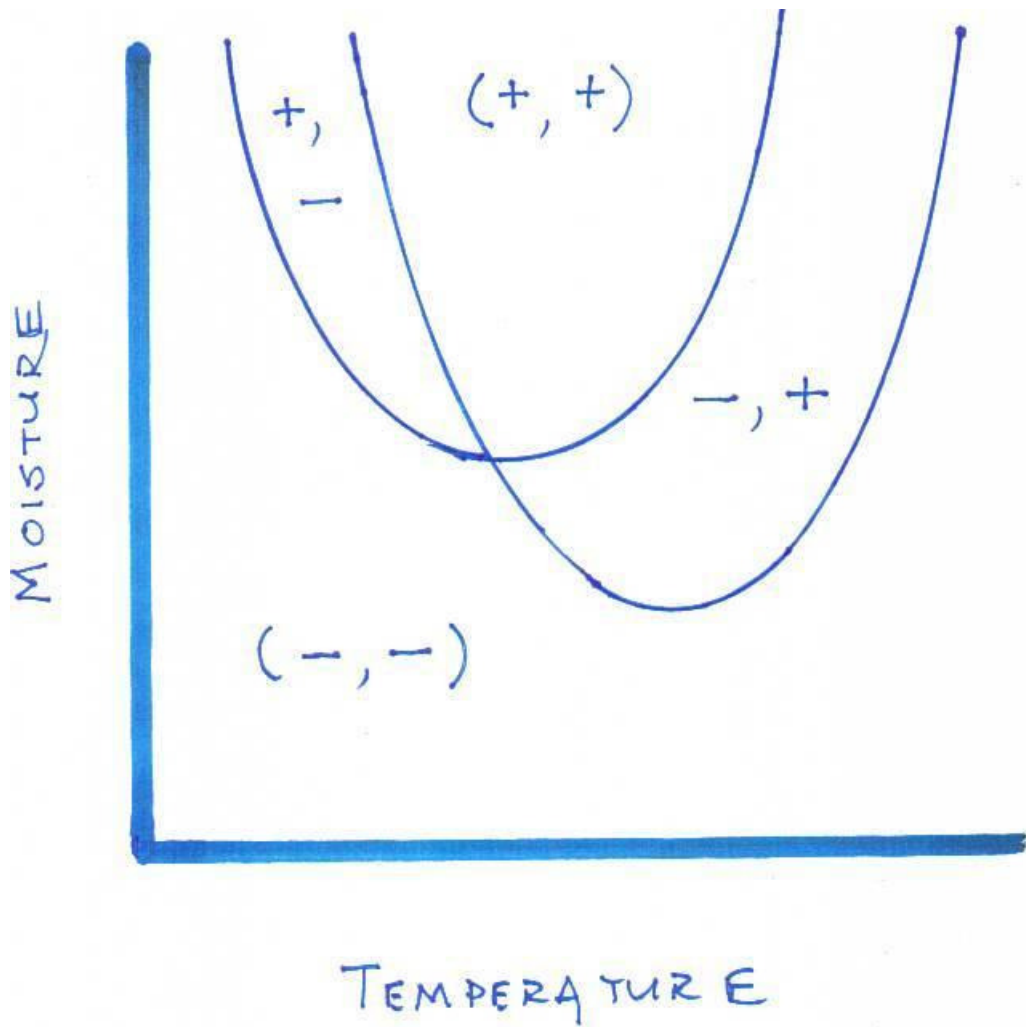
2 Spp: Use same biotic resource (food), but respond  
differently to physical environment

Coexist? Will better competitor (for resource) exclude other?

Grain beetles: Growth rates depend on temperature and moisture



Ricklefs and Miller (1999)



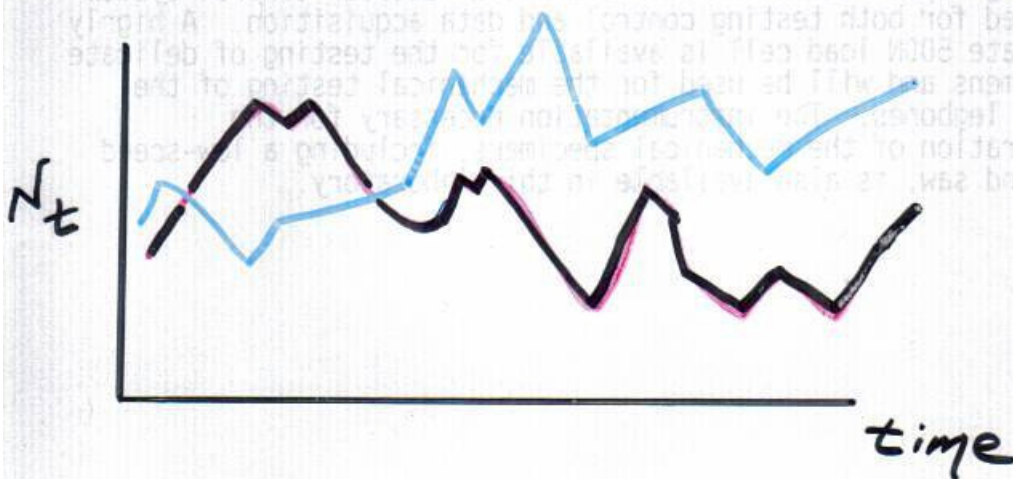
$$SGN \quad \ln \left[ \lambda_{CFL}, \lambda_{RHIZ} \right]$$

## 2 FLOUR BEETLES

CALANDRA (C) —

RHIZOPERTHA (R) —

SAME ENVIRONMENT



Growth negatively correlated

Spp coexist: *temporal niches differ*

## **Geometric Growth: Spatial Variation**

Spatial Structure:

Population dispersed among locations ( $s$ )

Reproductive success depends on location

*Total* Population time  $t$ :  $N_t$

Spatial location  $s$ ,  $s = 1, 2$

$n_t(s)$  population size, location  $s$

$$n_t(1) + n_t(2) = N_t$$

$\lambda(s)$ : Geometric growth rate in location  $s$

$$n_{t+1}(s) = \lambda(s) n_t(s) \quad s = 1, 2$$

Total Population Growth:

$$N_{t+1} = \hat{\lambda} N_t$$

$$\hat{\lambda} = \sum_s \frac{n_s}{N} \lambda(s)$$

Two Locations,  $s = 1, 2$

$$\hat{\lambda} = \frac{n_t(1)}{N} \lambda(1) + \frac{n_t(2)}{N} \lambda(2)$$

*Arithmetic Averaging* for Spatial Variation

Consider Environmental Stochasticity

Reproductive success: varies among generations

**Geometric Mean Growth**

$$N_t = (\tilde{\lambda})^t N_0$$

$$\tilde{\lambda} = \prod_i (\lambda_i)^{p_i}$$

## Population Synchrony

Coherent dynamics, “Moran Effect”

Consider species with  
*geographically distributed* populations

Each population density varies temporally

Often: Fluctuations *statistical synchrony*

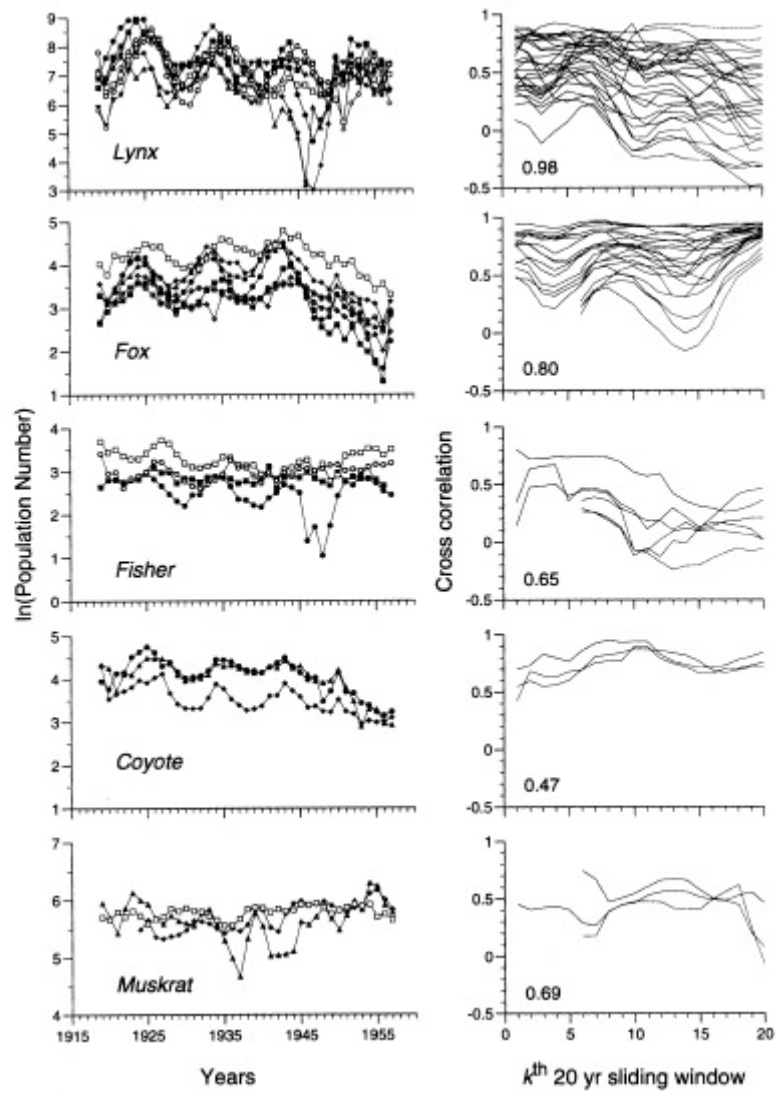
Different local populations:

Grow or decline at *same time*

Synchrony may decline with *distance*

Why?

Fig. 2. Long-term dynamics (left-hand panels) of lynx, fox, fisher, coyote and muskrat populations in different Canadian provinces [Alberta (●), British Columbia (■), Manitoba (◆), New Brunswick (♣), North-Western Territories (▼), Nova Scotia (○), Ontario (□), Quebec (◇), Saskatchewan (▲) and Yukon (◇)]. Synchrony in fluctuations among the provinces (right-hand panels) as calculated with 20-yr sliding windows (maximum amplitude between any pair of provinces is inserted). The data are after Keith (1963).



Mammals: Strong synchrony within species

90  
*Spatial synchrony  
in butterfly  
populations*

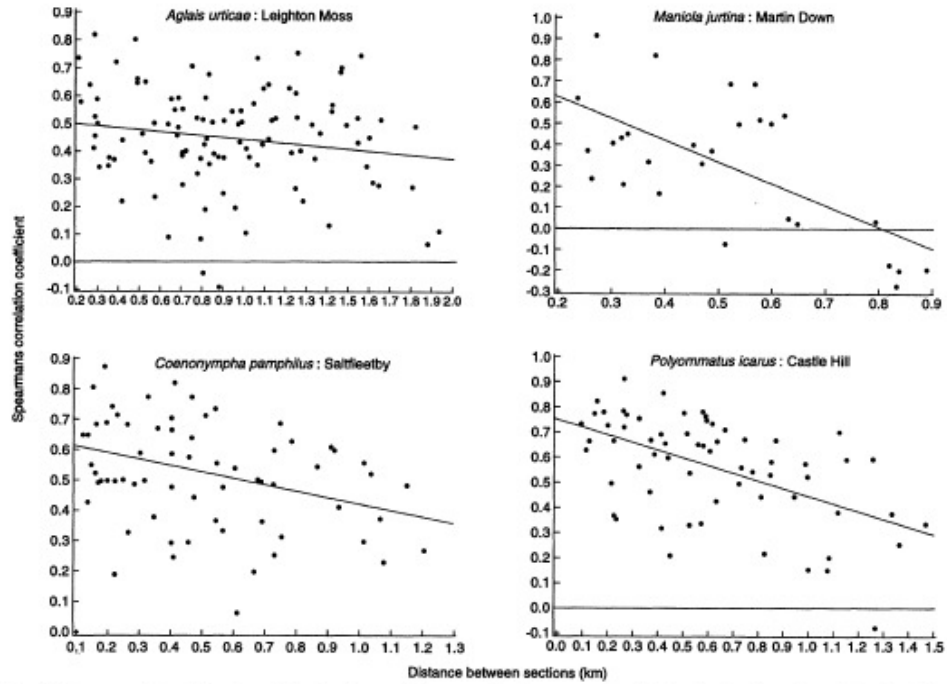


Fig. 4. Four examples of the types of graphs from which regression lines were calculated, showing the wide scatter of points and the regression line indicating a decline in population synchrony with increasing distance between transect sections.

Britain: butterfly populations

Nearby populations highly synchronous

Spatial synchrony declines with distance

1. Moran (1953): First to address synchrony

Snowshoe hare (prey of lynx)

“Synchronization and meteorology”

*Synchronous abiotic fluctuations*

*induced population synchrony*

Geometric-mean growth model

2. Dispersal

Local population grows quickly;

individuals disperse to other populations

Can synchronize; effect declines with distance

3. Common, fast-dispersing natural enemy

Predator, macro-parasite or disease

Disperse quickly, induce common decline

Natural enemy declines, populations recover together

